



# Hereditiy and mutation of the chirality during the growth transition-metal monosilicides

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# Chirality is everywhere



The geometric property of a rigid object (or spatial arrangement of point or atoms) of being non-superposable by pure rotation and translation on its image formed by inversion through a point; the symmetry group of such an object contains no symmetry operations of the second kind ( $\bar{1}$ ,  $m$ ,  $\bar{3}$ ,  $\bar{4}$ ,  $\bar{6}$ ). When the object is superposable by pure rotation and translation on its inverted image, the object is described as being achiral; the symmetry group of such an object contains symmetry operations of the second kind.

# Chirality is everywhere



arrangement of point or  
d translation on its  
metry group of such an  
kind  $(\bar{1}, m, \bar{3}, \bar{4}, \bar{6})$ .  
translation on its  
al; the symmetry group  
e second kind.

## Narwhal

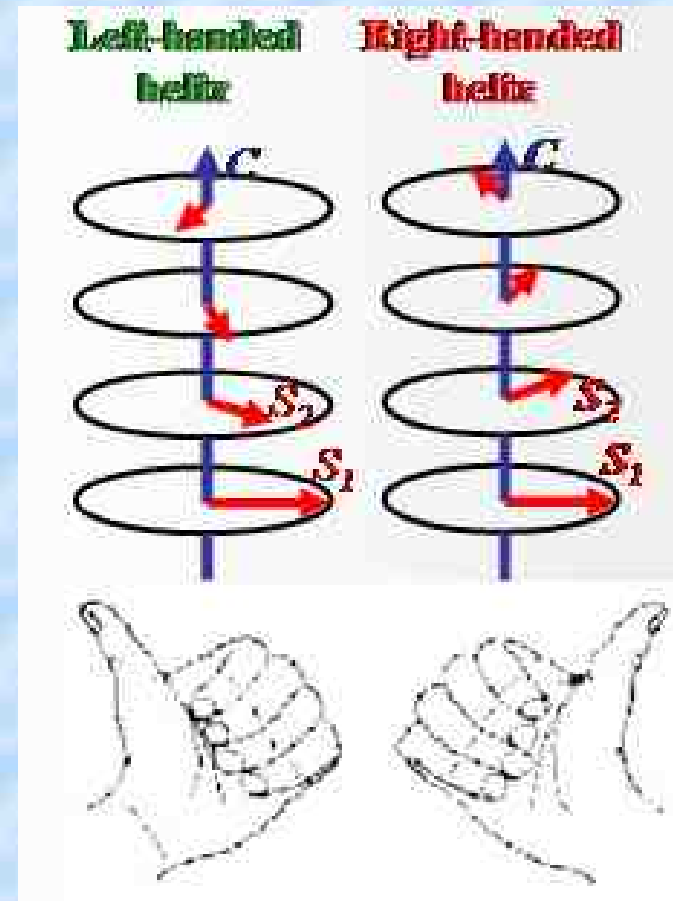
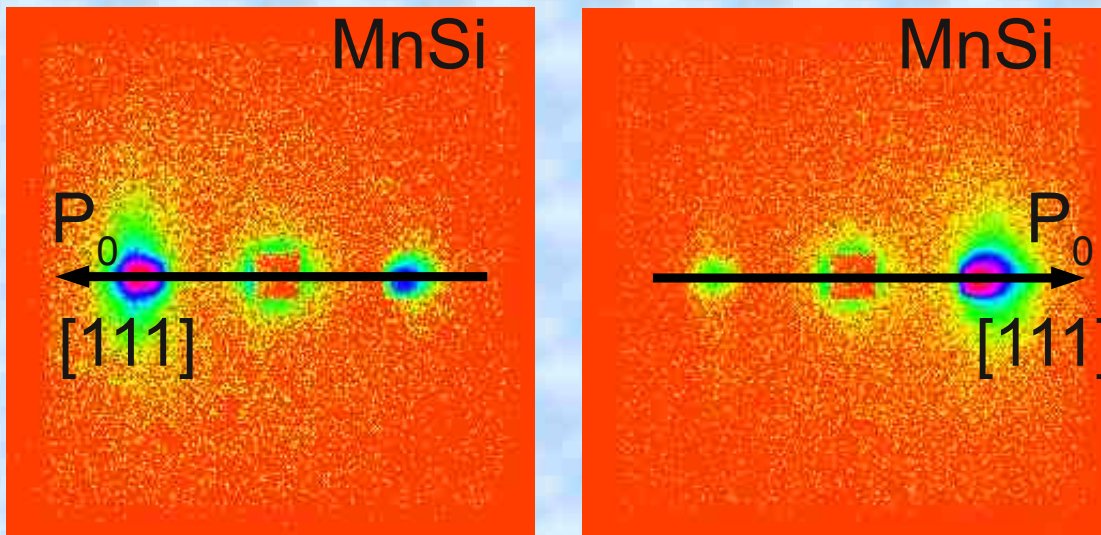


Faust Niekamp/istock.com



# Magnetic chirality

$T < T_c = 29 \text{ K}, d = 18 \text{ nm}$



$$\gamma = \frac{n^l - n^r}{n^l + n^r}$$

Tanaka et al, 1985

$$P_s = \gamma (\mathbf{P}_0 \mathbf{e}_Q) = \gamma P_0 \cos \psi$$

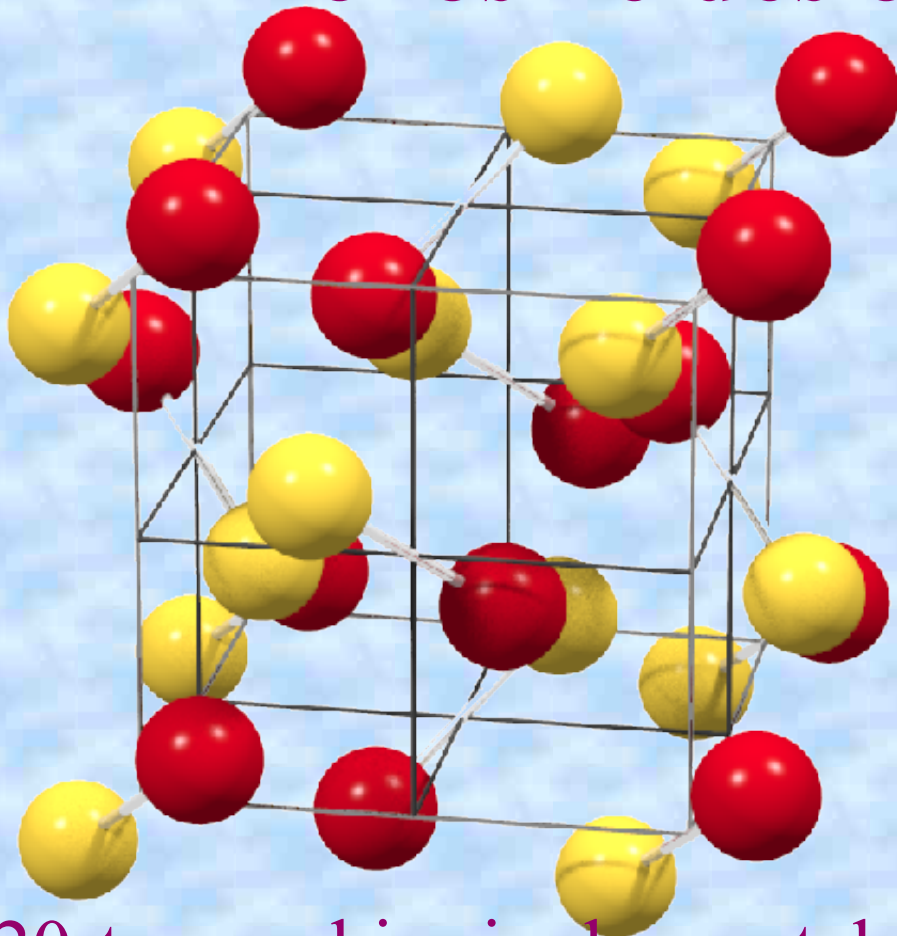
$$P_s = \frac{I(\mathbf{k}, +P_0) - I(\mathbf{k}, -P_0)}{I(\mathbf{k}, +P_0) + I(\mathbf{k}, -P_0)}$$

$$u_{\text{Si}} = 0.845 \text{ } (-0.154)$$

$$u_{\text{Mn}} = 0.138$$



# Monosilicides of transition metals



$\text{Fe}_{1-x}\text{Co}_x\text{Si}$ ,  $x = 0, 0.08, 0.1, 0.15,$   
 $0.20, 0.25, 0.30, 0.35, 0.5;$

$\text{Mn}_{1-y}\text{Fe}_y\text{Si}$ ,  $y = 0, 0.06, 0.08, 0.1$

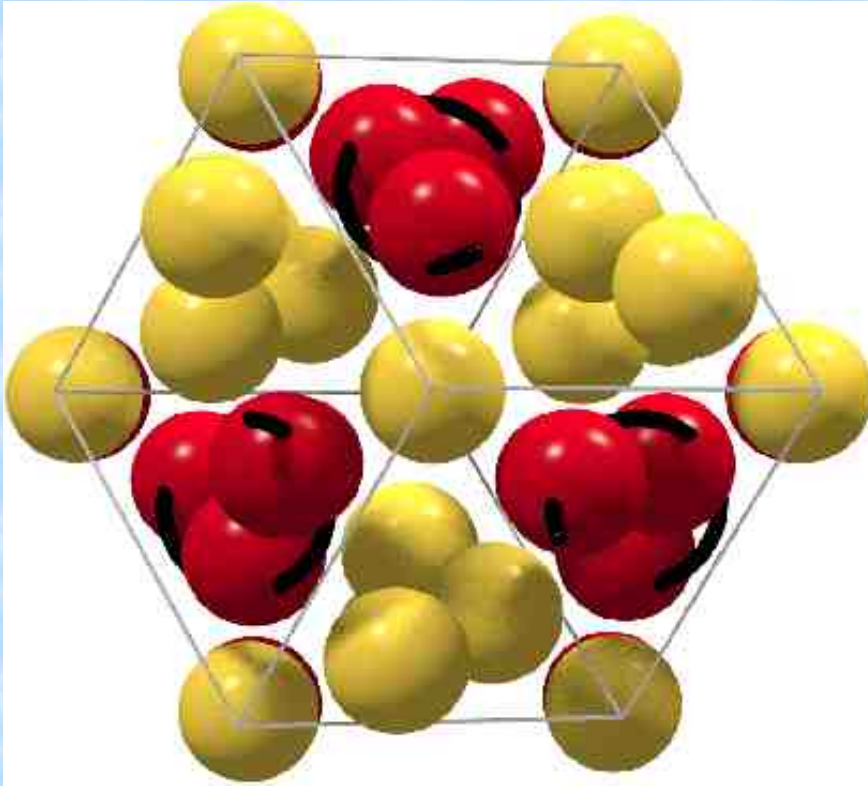



*Bòren, 1933*

- B20-type cubic single crystal
- Space group  $P2_13$
- $a = 4.55 \text{ \AA}$
- 4 Me and 4 Si atoms are inside a unit cell
- positions  $(u,u,u)$ ,  $(1/2+u,1/2-u,u)$ ,  $(1/2-u,-u,1/2+u)$ ,  
 $(u,1/2+u,1/2+u)$  with  $u_{\text{Mn}} = 0.138$  and  $u_{\text{si}} = 0.845$



# Monosilicides of transition metals



 Si,  $u_{\text{Si}} = 0.845$

 Me,  $u_{\text{Mn}} = 0.138$

$$\vec{r}_1 = (u, u, u)$$

$$\vec{r}_2 = \left(\frac{1}{2} + u, \frac{1}{2} - u, -u\right)$$

$$\vec{r}_3 = \left(-u, \frac{1}{2} + u, \frac{1}{2} - u\right)$$

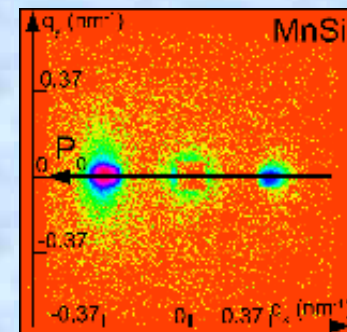
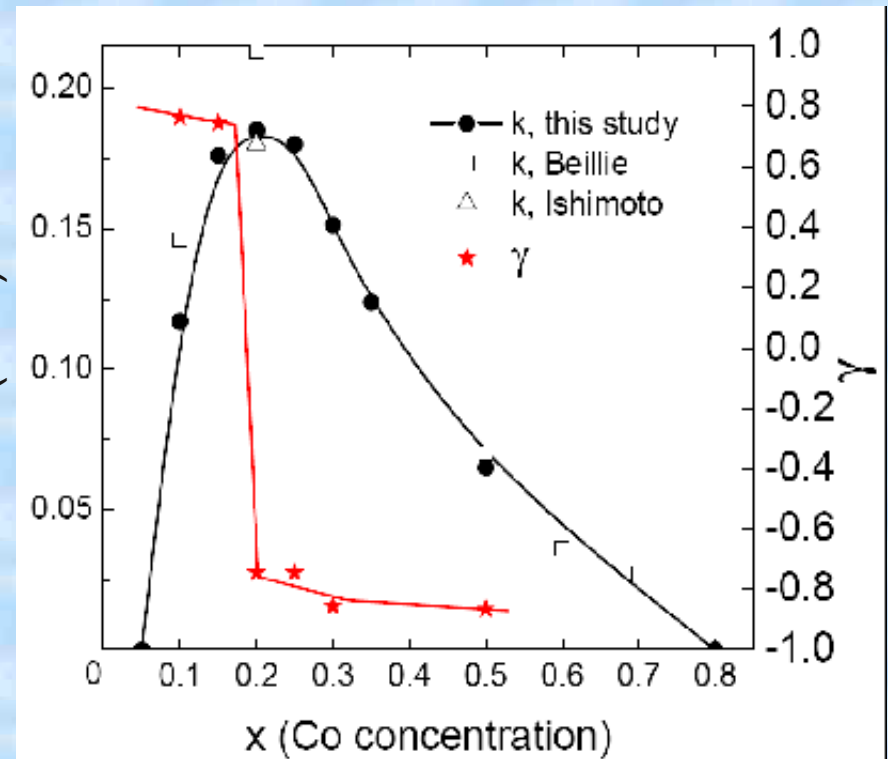
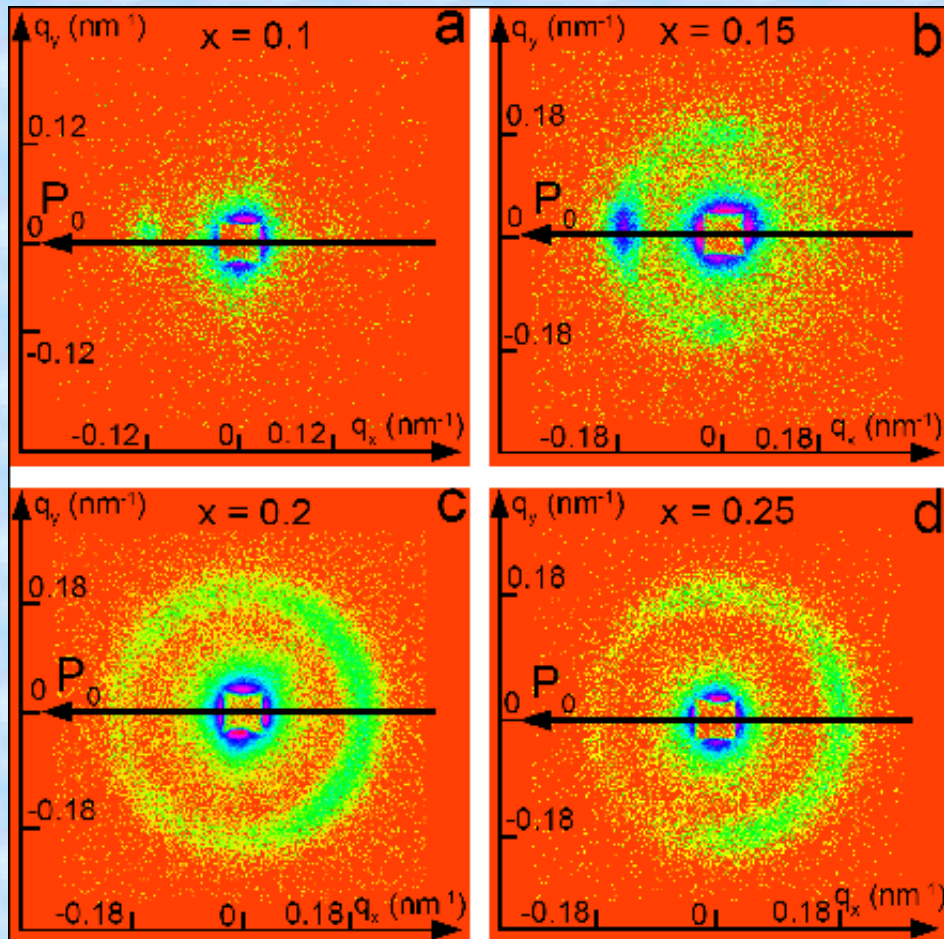
$$\vec{r}_4 = \left(\frac{1}{2} - u, -u, \frac{1}{2} + u\right)$$

$$\vec{C} = [\vec{r}_2 \times \vec{r}_3] + [\vec{r}_3 \times \vec{r}_4] + [\vec{r}_4 \times \vec{r}_2]$$

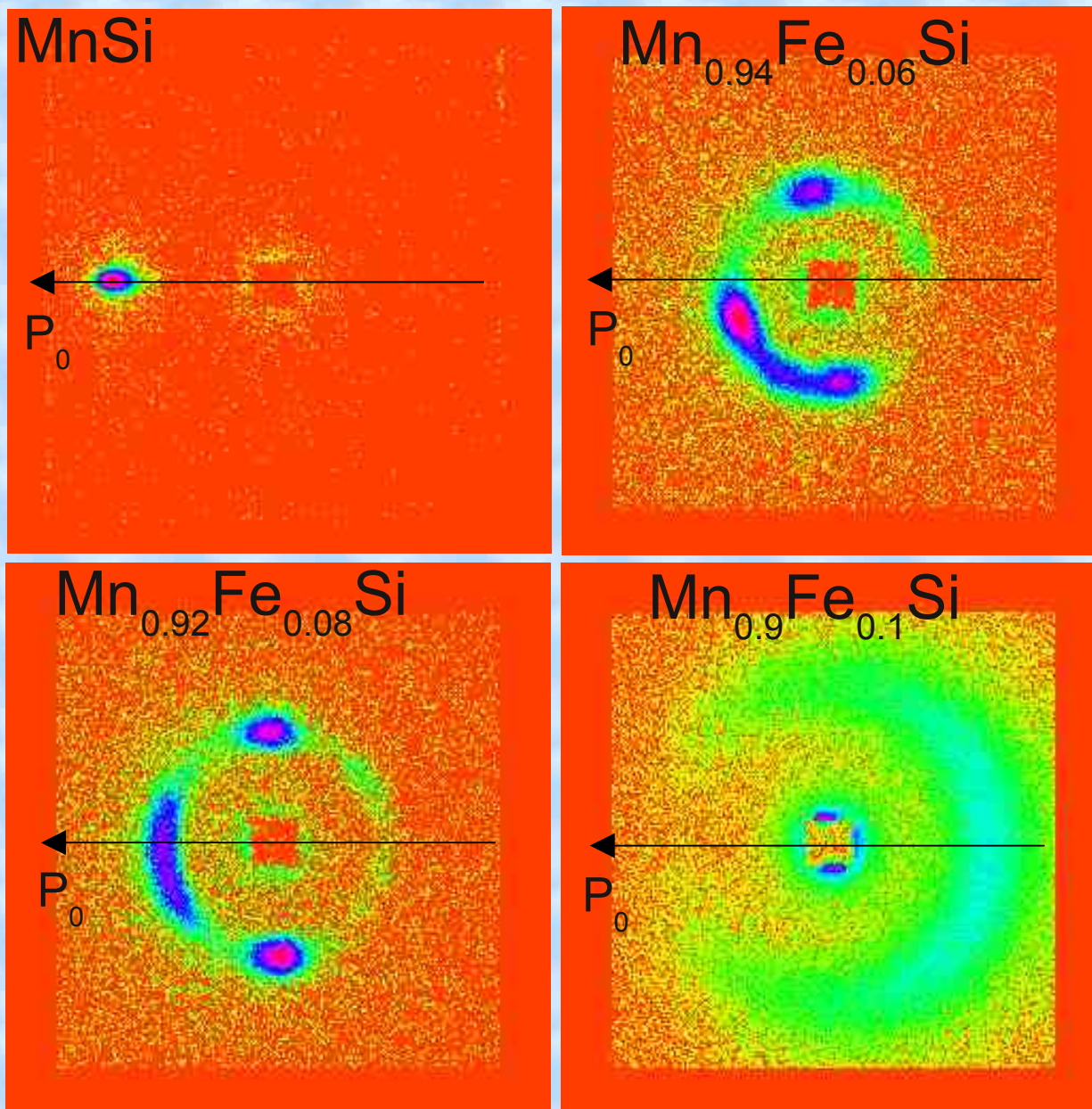
$$\vec{C} = \left(\frac{1}{4} + u + 4u^2, \frac{1}{4} + u + 4u^2, \frac{1}{4} + u + 4u^2\right)$$



# Magnetic chirality of $\text{Fe}_{1-x}\text{Co}_x\text{Si}$



# Magnetic chirality of $\text{Mn}_{1-y}\text{Fe}_y\text{Si}$





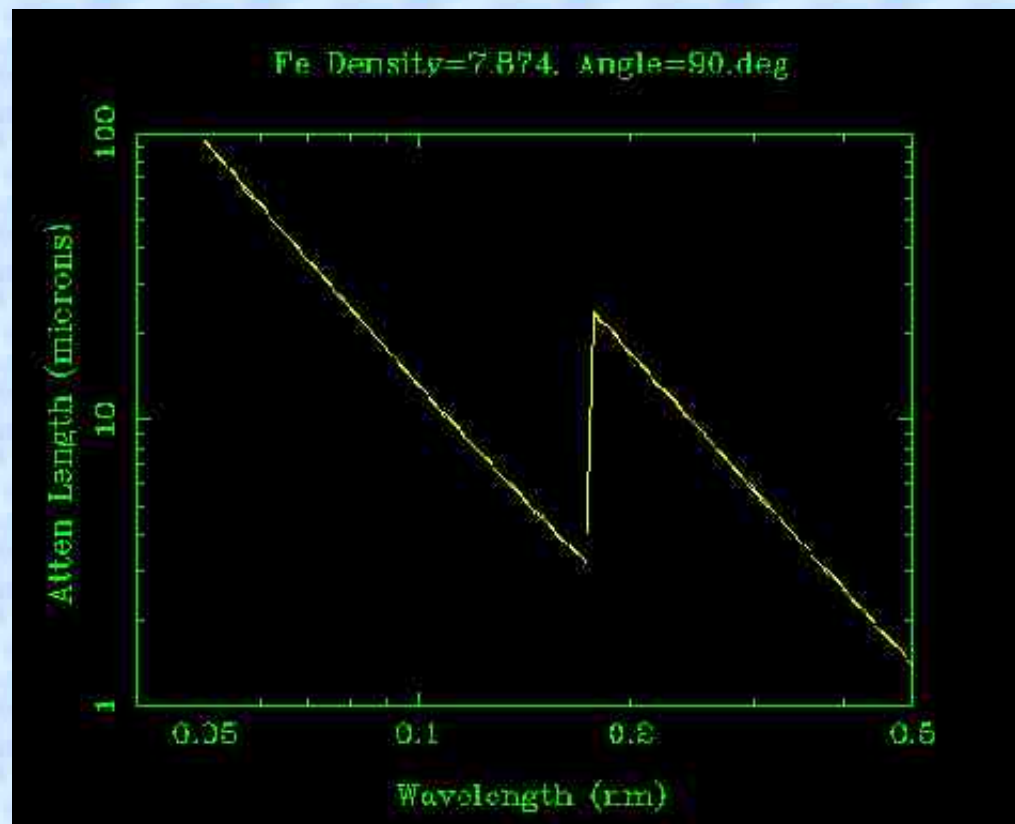
# Flack parameter



$$I(hkl) - I(\bar{h}\bar{k}\bar{l}) = 0 \quad \text{Friedel's law}$$

$$I(hkl) - I(\bar{h}\bar{k}\bar{l}) = (1 - 2x) [ |F(hkl)|^2 - |F(\bar{h}\bar{k}\bar{l})|^2 ]$$

$$F(\mathbf{Q}) = \sum_j (f_j + i f_j'') \exp(i\mathbf{Q}r_j)$$

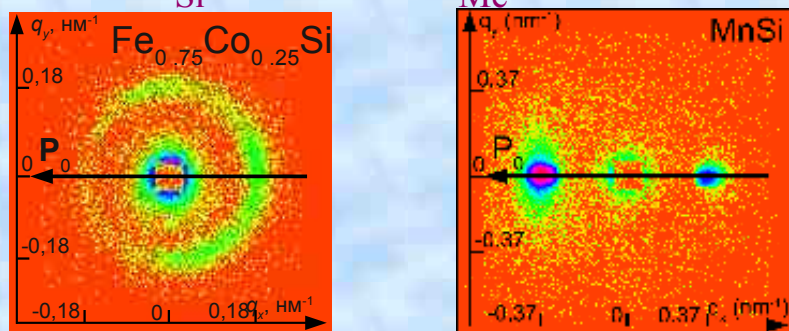




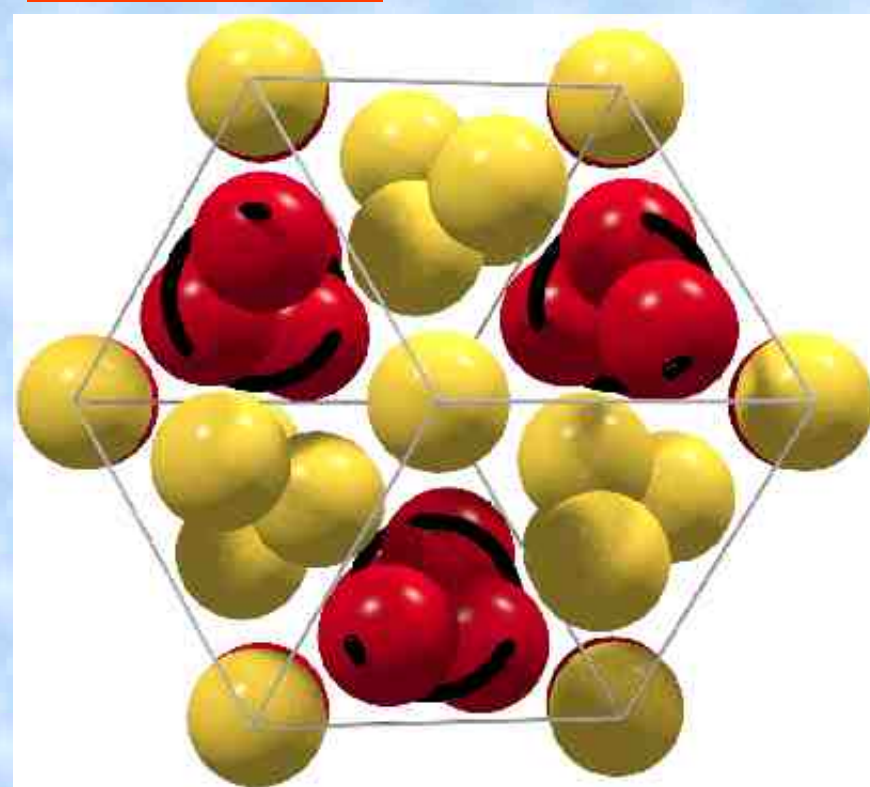
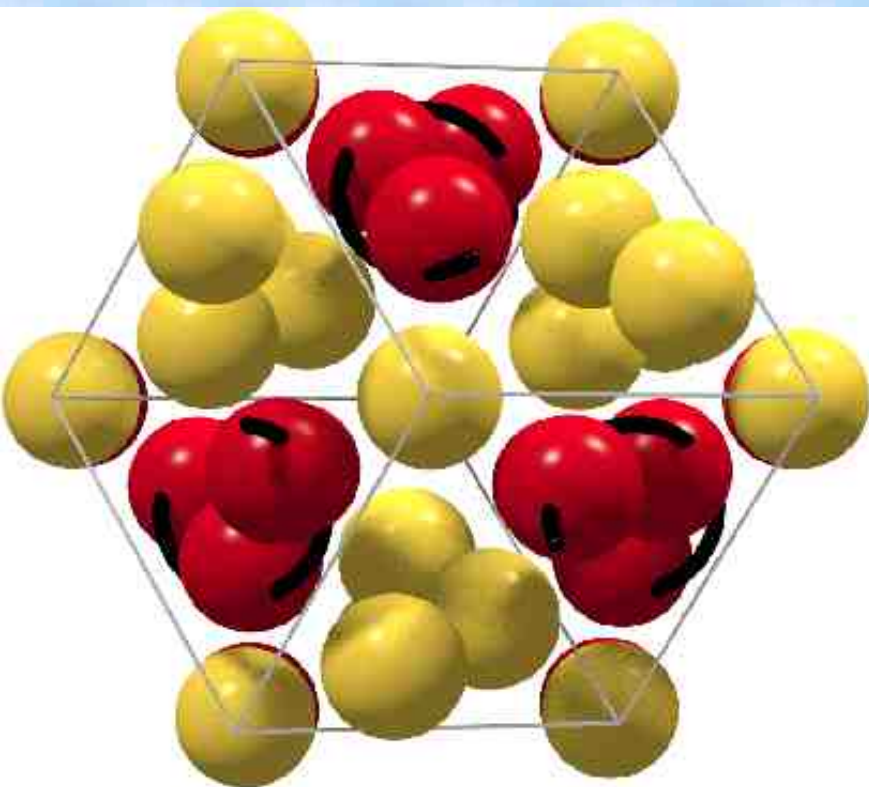
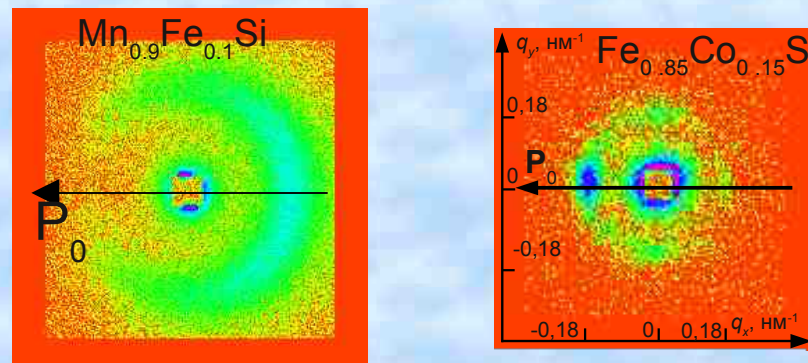
## Crystal Handedness and Spin Helix Chirality in $\text{Fe}_{1-x}\text{Co}_x\text{Si}$

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 D. Menzel,<sup>3</sup> J. Schoenes,<sup>3</sup> and H. Eckerlebe<sup>4</sup>

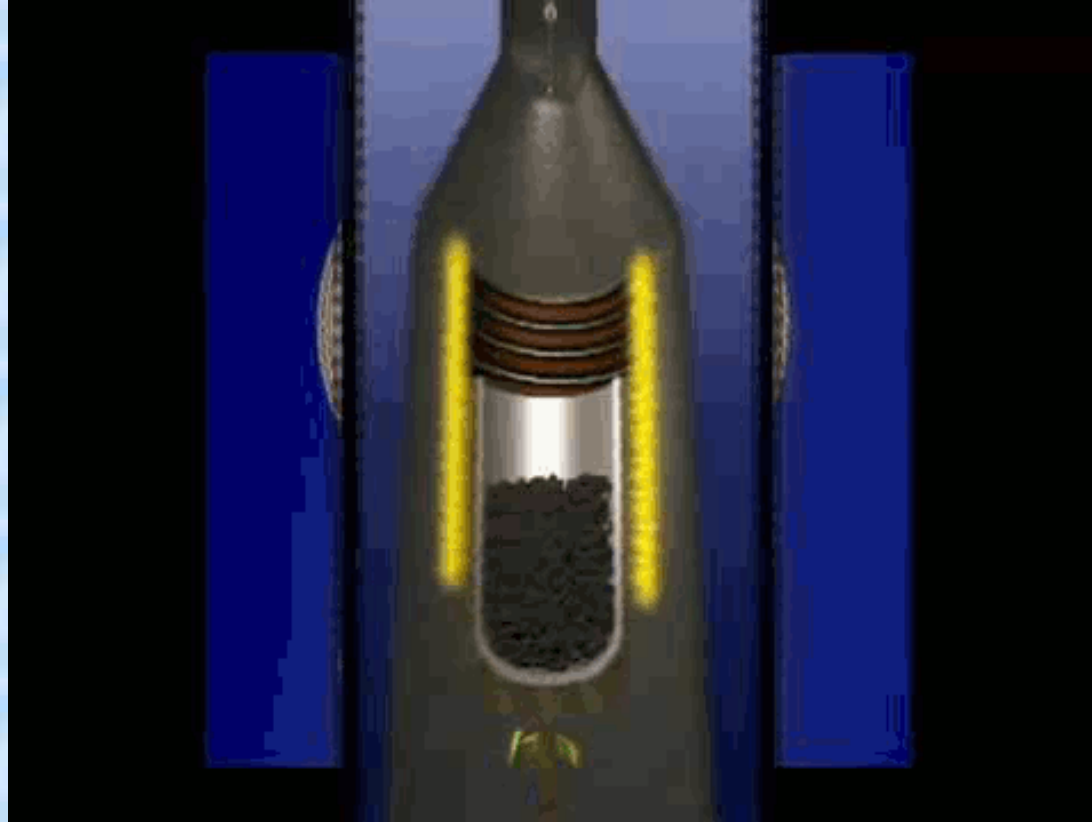
$$u_{\text{Si}} = 0.846 \quad u_{\text{Me}} = 0.138$$



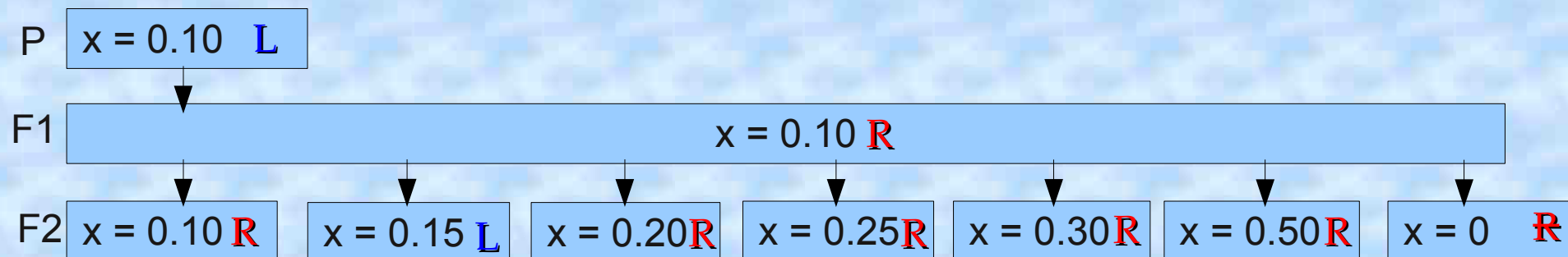
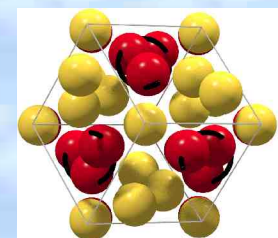
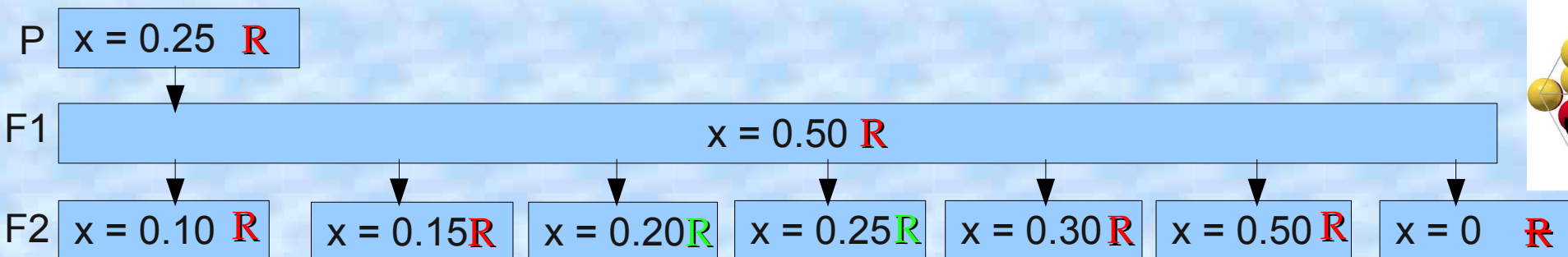
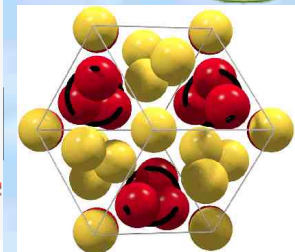
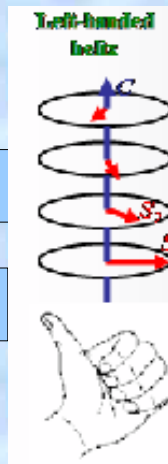
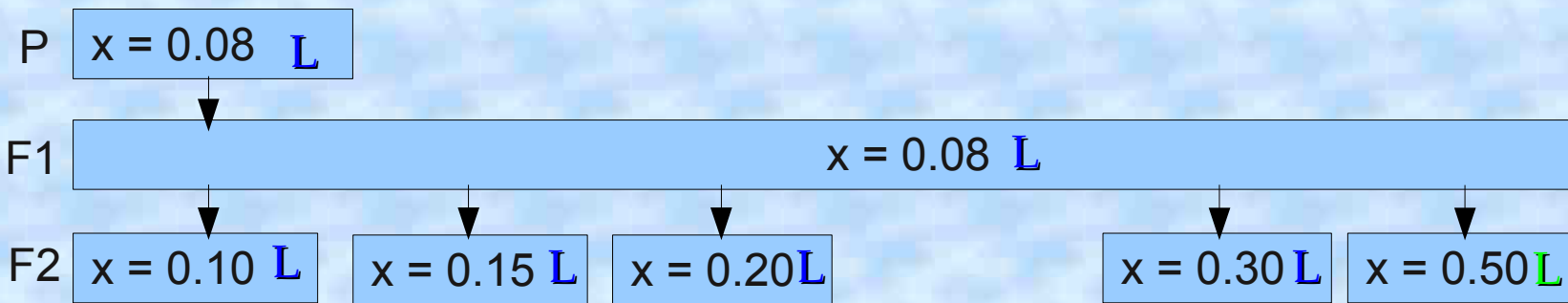
$$u_{\text{Si}} = 0.155 \quad u_{\text{Me}} = 0.863$$



# Czochralski growth



# Magnetic chirality of FeCoSi



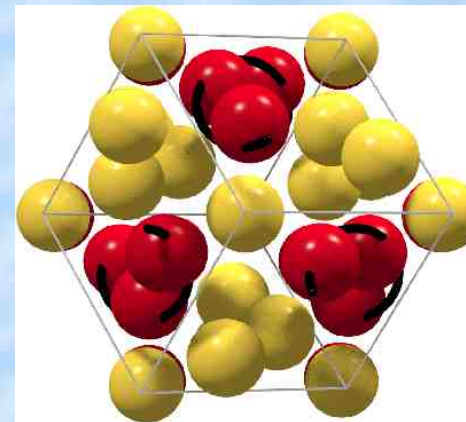
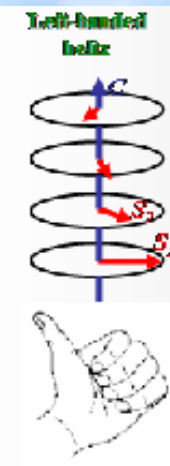
**L, R** — magnetic chirality

# Magnetic chirality of MnSi



F1 FeCoSi with  $x_{\text{Co}} = 0.50$  **R** L

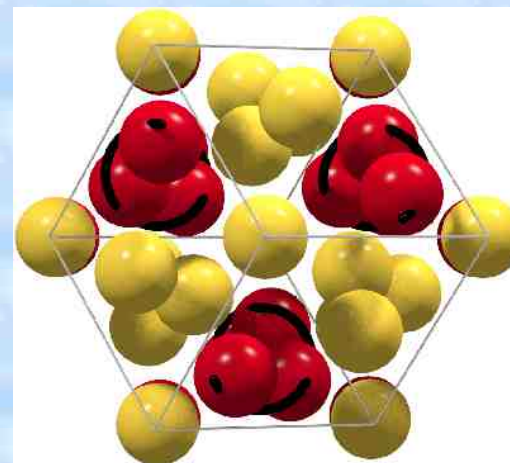
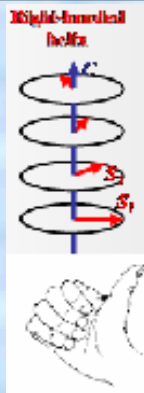
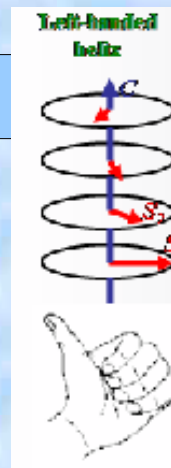
F2 MnSi **L** L    MnSi **L** L    MnSi **L** L



**L, R** — magnetic chirality  
**L, R** — structural chirality

F1 FeCoSi with  $x_{\text{Co}} = 0.08$  **L** R

F2 MnSi **R** R    MnSi **R** R    MnSi **R** R



# Thanks



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Sergey Grigoriev (PNPI)  
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Vladimir Dmitriev (ESRF)  
Helmut Eckerlebe (GKSS)

**YOU** for your attention